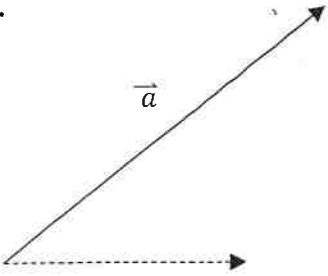
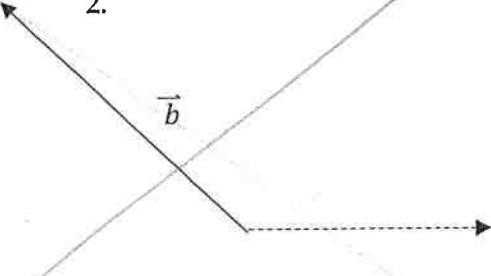
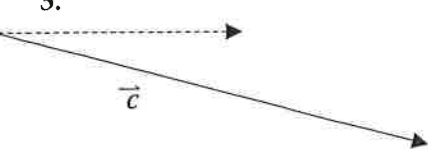


6.03 Notes: More Geometric Vectors

- Use a _____ to measure the magnitude of a vector.
- Use a _____ to measure the direction of a vector.

Examples: Measure the magnitude (in cm) and direction (in degrees) of each vector.

1.  \vec{a} 2.  \vec{b} 3.  \vec{c}

Mag = _____ Dir = _____ Mag = _____ Dir = _____ Mag = _____ Dir = _____

Now, draw each vector diagram and find the magnitude and direction of the resultant vector.

4. $\vec{a} + \vec{b}$

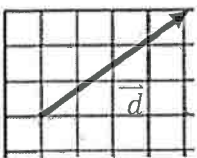
5. $2\vec{c} - \vec{a}$

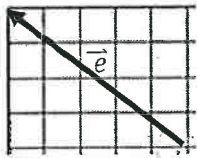
When a grid is used, first find the **component form**: $\langle \text{horizontal displacement, vertical displacement} \rangle$. Then:

- Use a $\vec{v} = \sqrt{a^2 + b^2}$ to calculate the magnitude of a vector.
- Use a $\theta = \tan^{-1}(b/a)$ to calculate the direction of a vector.

Caution: The calculator is not always right!

Examples: Find the component form, magnitude, and direction (using standard position) of \vec{d} and \vec{e} .

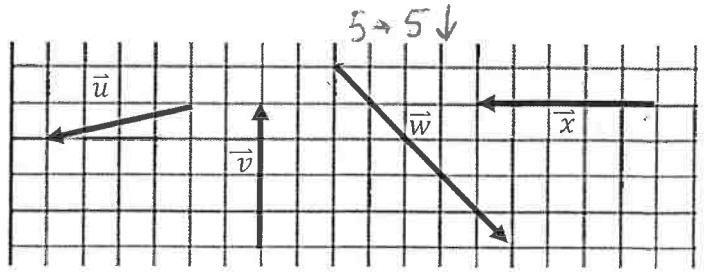
6.  \vec{d} $\langle 4, 3 \rangle$
 $|\vec{d}| = \sqrt{4^2 + 3^2} = 5$
 $\theta = \tan^{-1}\left(\frac{3}{4}\right) = 36.87^\circ$

7.  \vec{e} $\langle -5, 4 \rangle$
 $|\vec{e}| = \sqrt{4^2 + 5^2} = \sqrt{41}$
 $\theta = \tan^{-1}\left(\frac{4}{-5}\right) = -38.66^\circ$
 $+180$
 $\theta = 141.34^\circ$

6.03 Practice: More Geometric Vectors

Use the vectors to the right to complete problems #1 - 6. Round answers to the nearest thousandth. Use standard position for the direction of a vector.

1. Find the component form, magnitude, and direction of \vec{x} .

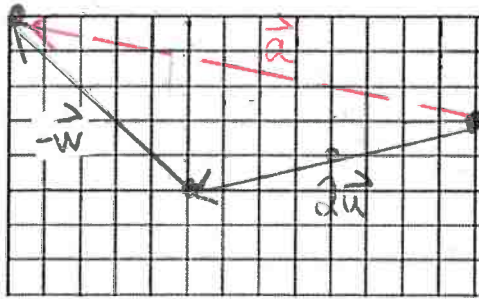


Component form: $\langle -5, 0 \rangle$
 magnitude: $|\vec{x}| = \sqrt{(-5)^2 + 0^2} = \boxed{5}$
 direction $\theta = \tan^{-1}\left(\frac{0}{-5}\right) = 0 \rightarrow \boxed{180^\circ}$

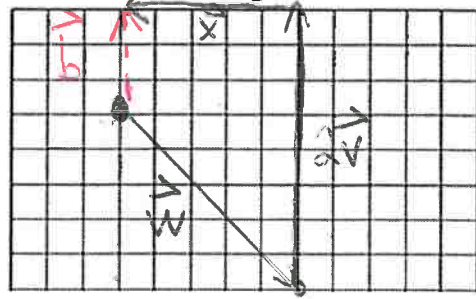
2. Find the component form, magnitude, and direction of \vec{v} .

Component form: $\langle -4, -1 \rangle$
 magnitude: $|\vec{v}| = \sqrt{(-4)^2 + (-1)^2} = \sqrt{17}$
 direction $\theta = \tan^{-1}\left(\frac{-1}{-4}\right) = 14.036^\circ + 180^\circ = \boxed{194.036^\circ}$

3. Draw the vector diagram of $\vec{a} = 2\vec{u} - \vec{w}$.



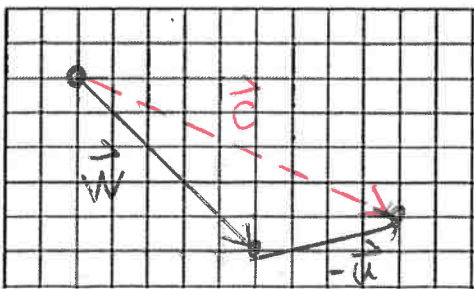
4. Draw the vector diagram of $\vec{b} = \vec{w} + 2\vec{v} + \vec{x}$.



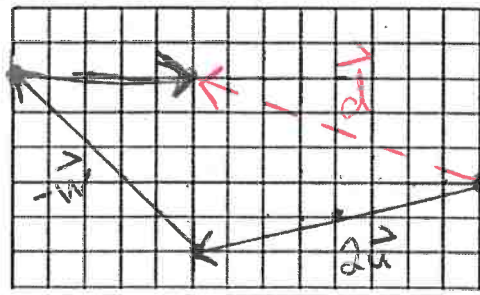
Component form of \vec{a} : $\langle -13, 3 \rangle$
 Magnitude = $\sqrt{178}$ Direction = 167.005°
 $\sqrt{(-13)^2 + (3)^2} = \sqrt{178}$
 $\theta = \tan^{-1}\left(\frac{3}{-13}\right) = -12.995^\circ + 180^\circ$

Component form of \vec{b} : $\langle 0, 3 \rangle$
 Magnitude = 3 Direction = 90°
 $\sqrt{0^2 + 3^2} = 3$

5. Draw the vector diagram of $\vec{c} = \vec{w} - \vec{u}$.



6. Draw the vector diagram of $\vec{d} = 2\vec{u} - \vec{w} - \vec{x}$.



Component form of \vec{c} : $\langle 9, -4 \rangle$
 Magnitude = $\sqrt{97}$ Direction = 336.038°
 $\sqrt{9^2 + (-4)^2} = \sqrt{97}$
 $\theta = \tan^{-1}\left(\frac{-4}{9}\right) = -23.962^\circ + 360^\circ$

Component form of \vec{d} : $\langle -8, 3 \rangle$
 Magnitude = $\sqrt{73}$ Direction = 159.444°
 $\sqrt{(-8)^2 + 3^2} = \sqrt{73}$
 $\theta = \tan^{-1}\left(\frac{3}{-8}\right) = -20.556^\circ + 180^\circ$