

1. A deli has a lunch special which consists of a sandwich, soup, dessert and drink for \$4.99. They offer the following choices: **Sandwich:** chicken salad, ham, and tuna, and roast beef **Soup:** tomato, chicken noodle, vegetable **Dessert:** cookie and pie **Drink:** tea, coffee, coke, diet coke and sprite. How many lunch specials are there?

2.

***In a bag there are 3 red marbles, 2 yellow marbles, and 1 blue marble. After a marble is selected, it is replaced. Using this new situation, find the probability of each outcome listed above.***

- a) a red marble and then a yellow marble
- b) a blue marble and then a yellow marble
- c) a red marble and then a blue marble
- d) any color marble except yellow and then a yellow marble
- e) a red marble three times in a row
- f) A red marble or a blue marble

3. In a bag there are 4 red marbles, 2 yellow, and 5 blue marbles. After a marble is selected, it is **NOT** replaced. Find the probability of each outcome below:

- a. a red marble and then a yellow marble
- b a blue marble and then a yellow marble
- c a red marble and then a blue marble
- d any color marble except yellow and then a yellow marble
- e a red marble three times in a row

4. Each of the letters of the word "GEOMETRY " is on a separate card. The cards have been mixed and placed in a box. If you select one card at random, what is the probability that its letter will be "E or a consonant"?

5. A card is randomly selected from a standard deck of 52 cards. Find the indicated probability. **\*\*Hint:** There are 4 jacks, 4 queens, 4 kings, 4 aces, 13 diamonds, 13 spades, 13 clubs, 13 hearts, 36 numbered cards, 26 red cards, and 26 black cards, **16 odd numbered cards, 20 even numbered cards** \*\*

- a)  $P(\text{Face cards or Odd numbered cards})$       b)  $P(\text{Face card and Spades})$
- c)  $P(\text{Red or Face Cards})$       d)  $P(\text{Diamonds or even cards})$

6. Two cards are randomly selected from a standard deck of 52 cards (WITH REPLACEMENT). Find the indicated probability. **\*\*Hint:** There are 4 jacks, 4 queens, 4 kings, 4 aces, 13 diamonds, 13 spades, 13 clubs, 13 hearts, 36 numbered cards, 26 red cards, and 26 black cards, **16 odd numbered cards, 20 even numbered cards** .\*\*

- a)  $P(\text{Face cards and Odd numbered cards})$       b)  $P(\text{Face card and Spades})$
- c.  $P(\text{Red and Face Cards})$       d)  $P(\text{even card 3 times})$

- 7) Two cards are randomly selected from a standard deck of 52 cards (**WITHOUT REPLACEMENT**). Find the indicated probability. **\*\*Hint:** There are 4 jacks, 4 queens, 4 kings, 4 aces, 13 diamonds, 13 spades, 13 clubs, 13 hearts, 36 numbered cards, 26 red cards, and 26 black cards.\*\* **16 odd numbered cards, 20 even numbered cards**

- a.  $P(\text{Face cards and Odd numbered cards})$       b)  $P(\text{Spades Face card and Spades})$
- (c )  $P(\text{Hearts Face Cards and Red})$       d)  $P(\text{even card 3 times})$

- 8) The probability that a student plays tennis is 56%. The probability that a student plays tennis and Lacrosse is 26%. What is the probability that student plays Lacrosse, given that they play tennis?

For #9 - 12, refer to the following table.

	Male	Female	Subtotal
Blue Eyes	40	20	
Green Eyes	10	80	
Subtotal			

9)  $P(\text{Female}) =$

10.  $P(\text{Green Eyes}) =$

11.  $P(\text{Green Eyes} | \text{Female}) =$

12.  $P(\text{Female} | \text{Green Eyes}) =$

13. Are Green eyes and Female independent or dependent?

key

1. A deli has a lunch special which consists of a sandwich, soup, dessert and drink for \$4.99. They offer the following choices: **Sandwich:** chicken salad, ham, and tuna, and roast beef **Soup:** tomato, chicken noodle, vegetable **Dessert:** cookie and pie **Drink:** tea, coffee, coke, diet coke and sprite. How many lunch specials are there?

$$4 \cdot 3 \cdot 2 \cdot 5 = 120 \text{ lunch combinations}$$

2.

In a bag there are 3 red marbles, 2 yellow marbles, and 1 blue marble. After a marble is selected, it is replaced. Using this new situation, find the probability of each outcome listed above. 6 total

- a) a red marble and then a yellow marble  $\frac{3}{6} \cdot \frac{2}{6} = \frac{1}{6}$
- b) a blue marble and then a yellow marble  $\frac{1}{6} \cdot \frac{2}{6} = \frac{1}{18}$
- c) a red marble and then a blue marble  $\frac{3}{6} \cdot \frac{1}{6} = \frac{1}{12}$
- d) any color marble except yellow and then a yellow marble  $\frac{4}{6} \cdot \frac{2}{6} = \frac{2}{9}$
- e) a red marble three times in a row  $\frac{3}{6} \cdot \frac{3}{6} \cdot \frac{3}{6} = \frac{1}{8}$
- f) a red or blue marble  $\frac{3}{6} + \frac{1}{6} = \frac{4}{6} = \frac{2}{3}$

3. In a bag there are 4 red marbles, 2 yellow, and 5 blue marbles. After a marble is selected, it is NOT replaced. Find the probability of each outcome below: 11 total

- a. a red marble and then a yellow marble  $\frac{4}{11} \cdot \frac{2}{10} = \frac{4}{55}$
- b a blue marble and then a yellow marble  $\frac{5}{11} \cdot \frac{2}{10} = \frac{1}{11}$
- c a red marble and then a blue marble  $\frac{4}{11} \cdot \frac{5}{10} = \frac{2}{11}$
- d any color marble except yellow and then a yellow marble  $\frac{9}{11} \cdot \frac{2}{10} = \frac{9}{55}$
- e a red marble three times in a row  $\frac{4}{11} \cdot \frac{3}{10} \cdot \frac{2}{9} = \frac{4}{165}$

4. Each of the letters of the word "GEOMETRY" is on a separate card. The cards have been mixed and placed in a box. If you select one card at random, what is the probability that its letter will be "E or a consonant"?

$$\frac{2}{8} + \frac{5}{8} = \frac{7}{8}$$

5. A card is randomly selected from a standard deck of 52 cards. Find the indicated probability. **\*\*Hint:** There are 4 jacks, 4 queens, 4 kings, 4 aces, 13 diamonds, 13 spades, 13 clubs, 13 hearts, 36 numbered cards, 26 red cards, and 26 black cards.\*\*

- a) P( Face cards or Odd numbered cards)      b) P( Face card and Spades)

$$\frac{12}{52} + \frac{16}{52} = \frac{28}{52} = \boxed{\frac{7}{13}}$$

$$\boxed{\frac{3}{52}}$$

- c) P( Red or Face Cards)

$$\frac{26}{52} + \frac{12}{52} - \frac{6}{52} = \boxed{\frac{8}{13}}$$

- d) P( Diamonds or even cards)

$$\frac{13}{52} + \frac{20}{52} - \frac{5}{52} = \boxed{\frac{7}{13}}$$

6. Two cards are randomly selected from a standard deck of 52 cards (WITH REPLACEMENT).

Find the indicated probability. **\*\*Hint:** There are 4 jacks, 4 queens, 4 kings, 4 aces, 13 diamonds, 13 spades, 13 clubs, 13 hearts, 36 numbered cards, 26 red cards, and 26 black cards.\*\*

- a) P( Face cards and Odd numbered cards)      b) P( Face card and Spades)

$$\frac{12}{52} \cdot \frac{16}{52} = \boxed{\frac{12}{169}}$$

$$\frac{12}{52} \cdot \frac{13}{52} = \boxed{\frac{3}{52}}$$

- c. P( Red and Face Cards)

$$\frac{26}{52} \cdot \frac{12}{52} = \boxed{\frac{3}{26}}$$

- d) P( even card 3 times)

$$\frac{20}{52} \cdot \frac{20}{52} \cdot \frac{20}{52} = \boxed{\frac{125}{2197} = 0.0568}$$

- 7) Two cards are randomly selected from a standard deck of 52 cards (**WITHOUT REPLACEMENT**). Find the indicated probability. **\*\*Hint:** There are 4 jacks, 4 queens, 4 kings, 4 aces, 13 diamonds, 13 spades, 13 clubs, 13 hearts, 36 numbered cards, 26 red cards, and 26 black cards.\*\*

- a. P( Face cards and Odd numbered cards)      b) <sup>Spades</sup> P( Face card and Spades)

$$\frac{12}{52} \cdot \frac{16}{51} = \frac{16}{221}$$

$$\frac{3}{52} \cdot \frac{12}{51} = \frac{3}{221}$$

- (c) ~~P( Red and Face Cards)~~

P(Hearts face card and Red)

$$\frac{3}{52} \cdot \frac{25}{51}$$

- d) P( even card 3 times)

$$\frac{20}{52} \cdot \frac{19}{51} \cdot \frac{18}{50}$$

- 8) The probability that a student plays tennis is 56%. The probability that a student plays tennis and Lacrosse is 26%. What is the probability that student plays Lacrosse, given that they play tennis?

$$\frac{0.26}{0.56} = \boxed{\frac{13}{28}}$$

For #9 - 12, refer to the following table.

	Male	Female	Subtotal
Blue Eyes	40	20	60
Green Eyes	10	80	90
Subtotal	50	100	150

- 9) P( Female) =

$$\frac{100}{150} = \boxed{\frac{2}{3}}$$

10. P( Green Eyes) =

$$\frac{90}{150} = \boxed{\frac{3}{5}}$$

11. P( Green Eyes | Female) =

$$\frac{8}{10} = \boxed{\frac{4}{5}}$$

12. P( Female | Green Eyes) =

$$\frac{8}{9}$$

13] Dependent b/c  $P(G|F) \neq P(F|Green)$