

Compare Numerator and Denominator to help determine Integral Rule(s) to apply	Example #1	Example #2
<p>1) <b>Only 1 Term in the Denominator</b> (regardless of degree differences between numerator and denominator)</p> <p><u>Solution:</u> Consider expanding and splitting up the terms into individual fractions and applying integral rule for each term separately.</p>	$\int \frac{x^4 - 5x^3 + 1}{2x^4} dx$	$\int \frac{4e^{4x} - e^{2x}}{6e^{3x}} dx$
<p>2) Multiple terms in the denominator and the <b>Denominator has variable exponent degree that is 1 higher than the Numerator</b></p> <p><u>Solution:</u> Consider U-Substitution</p>	$\int \frac{5x}{7x^2 - 4} dx$	$\int \frac{2x^2}{\sqrt[5]{3x^3 - 4}} dx$
<p>3) Multiple terms in the denominator and the <b>Numerator has variable exponent that is Same degree OR Higher than the Denominator.</b></p> <p><u>Solution:</u> Consider Long Division and/or Synthetic Division</p>	$\int \frac{4x - 3}{x - 5} dx$ <p>Apply long division or synthetic division</p>	$\int \frac{x^4 + x - 4}{x^2 + 2} dx$ <p>Apply long division (synthetic division does <b>not</b> apply)</p>
<p>4) Multiple terms in the denominator and the <b>Denominator has variable exponent that is higher than the Numerator by 2 or more degrees:</b></p> <p><u>Solution:</u> Consider ArcTrig Integral Rules</p>	$\int \frac{1}{x^2 - 8x + 4} dx$ <p>Apply Arctan Integral Rule</p>	$\int \frac{5x}{\sqrt{1 - x^4}} dx$ <p>Apply Arcsin Integral Rule</p>